Total number of printed pages: 2

UG /5th Semester/UECE503

2023

DIGITAL COMMUNICATION SYSTEMS AND STOCHASTIC PROCESS

Full Marks: 100

Time: Three hours

The figures in the margin indicate full marks for the questions.

Answer any five questions.

1.	a)	State the sampling theorem for a low-pass bandlimited signal. Hence show	2 + 8 = 10
		that the spectrum of sampled waveform, in case of impulse sampling, is the	
		repetition of the spectrum of low-pass bandlimited signal.	
	b)	Calculate the bandwidth required for PCM signal. Show that for each	10
		additional bit in the code-word transmitted by a binary PCM in case of	
		sinusoidal message, the output quantization SNR increases by 6 dB.	
2.	a)	How many types of uniform quantizers are there? Draw the input-output	1+3+6 =
	,	characteristic for such quantizers. Hence show that the average output	10
		power in quantization noise is inversely proportional to the square of the	10
		number of quantization level (Q).	
	b)	A DM transmitter with a fixed step size of 0.5 V is given a sinusoidal	5+5 = 10
	- /	message signal. If the sampling frequency is twenty times the Nyquist rate,	515 - 10
		find (i) the maximum permissible amplitude of the message signal avoiding	
		slope-overload (ii) the maximum destination SNR.	
3.	a)	Prove that a 1 st order predictor in a DPCM is a unit-delay block.	5
		ESTD : 2006	
	b)	What is aperture effect in flat-top sampling.	5
		Show that the encourage her little for digital base has dising this is given by	10
	c)	Show that the error probability for digital baseband signalling is given by	10
		$P_e = Q\left(\frac{d}{2}\right)$; where 'Q' is the Q-function given by $Q(k) = \frac{1}{\sqrt{2\pi}} \int_k^{\infty} e^{-x^2/2} dx$.	
		$I_e = \mathcal{Q}(2)$, where \mathcal{Q} is the \mathcal{Q} function given by $\mathcal{Q}(\kappa) = \frac{1}{\sqrt{2\pi}} J_k e^{-2\kappa i \kappa}$	
-			
4.	a)	A baseband binary system transmits the signal $s_1(t)$ for binary '1' and	15
		$s_2(t)$ for binary '0', where	
		$\begin{bmatrix} A \cdot 0 < t < T \end{bmatrix} = \begin{bmatrix} A / \cdot 0 < t < T \end{bmatrix}$	
		$s_{1}(t) = \begin{cases} A ; 0 \le t \le T/2 \\ A/2 ; T/2 \le t \le T \\ 0 , elsewhere \end{cases} \text{ and } s_{2}(t) = \begin{cases} A/2 ; 0 \le t \le T/2 \\ -A/2 ; T/2 \le t \le T \\ 0 , elsewhere. \end{cases}$	
		$\frac{1}{2}, \frac{1}{2}, \frac$	
		0, elsewhere 0 , elsewhere.	

	1		
		The channel may be assumed to be AWGN with noise PSD of $\binom{N_0}{2}$, and	
		the symbols are equi-probable. Find the energy of the two transmitted signals and hence find the average energy per bit. Also find the probability	
		of bit error ' P_e '.	
	b)	Explain why polar signals are preferred over uni-polar signals for a given	5
		value of input SNR at the front end of a receiver.	
5.	a)	Show that the BER (average error probability) for a polar NRZ signal using	10
		matched filter technique is given by $P_e _{Polar,NRZ} = Q\left[\sqrt{\frac{2E_b}{\eta}}\right]$; where the	
		symbols have their usual meaning.	
	b)	Deduce the power spectral density (PSD) for BFSK modulated signal.	10
		Hence calculate the transmission bandwidth (B_T) of the BFSK signal.	
6.	Wr	ite short notes on any <i>two</i> from the following	$10 \ge 2 = 20$
	a)	Line codes for binary signal.	
	b)	Detection of BPSK modulated signal.	
	c)	Power spectral density (PSD) for NRZ data.	
	d)	Matched filter.	

XXXXXXXX

ESTD. : 2006 असतो मा सत गमय तमसो मा ज्योतिर्गमय